

^{135}Xe - ^{135}I Exercise

The $^{135}\text{Xe}/^{135}\text{I}$ kinetics can be represented by the following equations:

$$\frac{dI}{dt} = \gamma_I \hat{\Sigma}_f \hat{\phi}_F - \lambda_I I \quad (1)$$

$$\frac{dX}{dt} = \gamma_X \hat{\Sigma}_f \hat{\phi}_F + \lambda_I I - \lambda_X X - \hat{\sigma}_X X \hat{\phi}_F \quad (2)$$

where

X = average concentration of ^{135}Xe in atoms cm^{-3}

I = average concentration of ^{135}I in atoms cm^{-3}

γ_X = direct yield of ^{135}Xe per fission (averaged over all fissions)

γ_I = direct yield of ^{135}I in fission, including yields of ^{135}Te and ^{135}Sb (averaged over all fissions)

λ_X = decay constant of ^{135}Xe in s^{-1}

λ_I = decay constant of ^{135}I in s^{-1}

$\hat{\phi}$ = average flux in the fuel in $\text{n.cm}^{-2}\text{s}^{-1}$

$\hat{\Sigma}_f$ = macroscopic fission cross section of the fuel in cm^{-1}

and $\hat{\sigma}_X$ = microscopic ^{135}Xe cross section in cm^2

Assume:

$$\lambda_X = 2.92 \cdot 10^{-5} \text{ s}^{-1}$$

$$\lambda_I = 2.12 \cdot 10^{-5} \text{ s}^{-1}$$

$$\gamma_X = 0.00246$$

$$\gamma_I = 0.0638$$

$$\hat{\Sigma}_f = 0.002 \text{ cm}^{-1}$$

$$\hat{\sigma}_X = 3.2 \cdot 10^{-18} \text{ cm}^2$$

Also assume that at full power:

$$\text{The flux in the fuel is } \hat{\phi} = 7.0 \cdot 10^{13} \text{ n.cm}^{-2}\text{s}^{-1}$$

$$\text{The steady-state Xe-135 concentration is } X = 3.781 \cdot 10^{13} \text{ n.cm}^{-3}$$

$$\text{The steady-state I-135 concentration is } I = 3.057 \cdot 10^{14} \text{ n.cm}^{-3}$$

and The steady-state Xe-135 reactivity = -28 milli-k.

The exercise is to determine the “poison prevent” power. That is, if there is a sudden decrease in power from full power, what is the lowest power to which the reactor can go without being subject to Xe-135 poisoning, assuming the Reactor Regulating System (RRS) has 15 milli-k of positive reactivity available for xenon override?