

WHAT IS CORROSION?

Usually: reaction of a metal with its environment

e.g. rusting of iron:



BUT high temperature corrosion of iron:



Sometimes, non-metals are said to corrode

e.g. degradation of graphite moderator in a CO₂ reactor (nuclear)



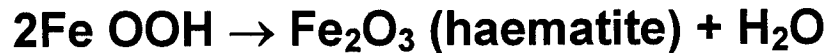
Discussion:

- Other examples of metal corrosion?
- Do buildings corrode (brick, stone, concrete)?
- What about erosion? - is it a corrosion phenomenon?
- Can corrosion be desirable?
- Other types of corrosion (e.g., plastic, wood, etc.)?

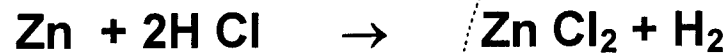
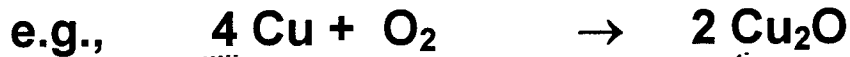
CORROSION IS A SPONTANEOUS PROCESS:

Energy is released as material proceeds towards “natural” state
i.e. the thermodynamically stable state.

Thus, rusting of iron is a reversion towards the (hydrated - usually) ore;
e.g., if lepidocrocite is dehydrated, we get:



Corrosion, especially of metals, is usually an oxidative process
- the metal loses electrons:

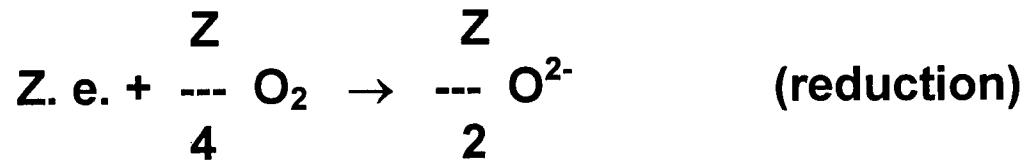
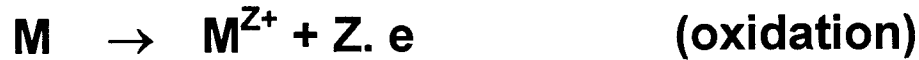


metal Oxidation states?

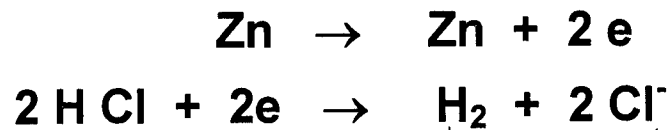
ion oxidation states?

CORROSION IS A SPONTANEOUS PROCESS (continued)

Regard such oxidations as two separate reactions occurring simultaneously
e.g. for metal M:



Therefore:



what is the reduced species?

COST OF CORROSION

How do costs of corrosion arise?

Costs arise from:

- replacement of components (e.g., car mufflers \leq \$ 100
nuclear steam generators \leq \$ 100 M);
- loss of production (equipment or process downtime);
- extra process control to minimize corrosion (e.g., chemical additives and corrosion inhibitors);
- application and maintenance of coatings (e.g., Cr-plated bumpers; paints; sheathing of nuclear fuel);
- loss of process efficiency (e.g., fouling of Heat Exchangers by corrosion products, plugging of columns by corrosion products);
- radioactivity build-up (in reactor coolants from activation of corrosion products);
- cleaning (to restore appearance, to restore performance, to decontaminate, etc.);
- others?
 - inspection to verify that safety/regulatory limits have not been exceeded.

COST OF CORROSION (continued)

Cost estimated at \approx 300 billion (U.S.)/ Annum for metallic corrosion alone in U.S.A. in 1993 (figure extrapolated from a 1975 study)

Equivalent for Canada \approx \$ 40 billion (Can.)Annum

NOTE : Most of these costs are UNAVOIDABLE (i.e., avoiding them would cost known technology to reduce corrosion)

U.S.A. \approx \$40 billion (U.S.) /Annum

Canada \approx \$ 6 billion (Can.) /Annum

Many industries rely on corrosion:

- **Muffler Shops,**
- **Paint Manufacturers,**
- **Nuclear Steam Generator Manufacturers;**
- **Steel companies;**
- **Others**

Is corrosion a good thing?

SOME COST CONSIDERATIONS

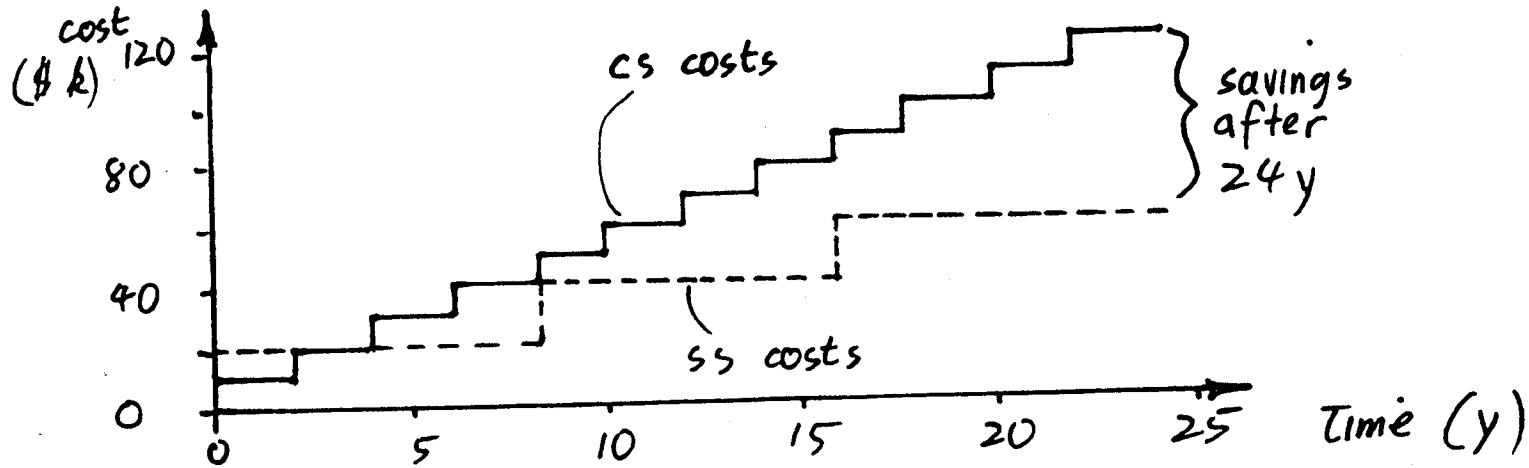
Decision to replace a material with a more corrosion-resistant and therefore more expensive material depends upon:

- **difference in initial “investment” or cost of installation;**
- **what the extra “investment” would earn elsewhere (e.g., in the bank)**

If the “return on investment”, ROI, for the more expensive material is low, then it is cheaper to keep replacing more often with the same, cheap material.

EXAMPLE (from Fontana)

A carbon steel HX costs \$10k, has to be replaced every 2 years. Is it worthwhile to substitute stainless steel (SS) which costs \$20K but lasts 8 years?



saving after 24 y = \$12k - \$60k

average "return" = $\frac{\$120k - \$60k}{24} = \$2.5k/y$

initial "investment" (= difference in cost)
= \$20k - \$10k - \$10k

ROI = $\frac{\$2.5k}{y} \times \frac{1}{\$10k} \times 100\% = \frac{25\%}{\text{year}}$

In general

$$\text{ROI} = \frac{(O_a + \frac{I_a}{n_a}) - (O_b + \frac{I_b}{n_b}) \times 100\%}{I_b - I_a}$$

where:

- a & b** : present and proposed (i.e., alternative) installations respectively;
- O** = annual costs (maintenance, operation, losses, etc.);
- I** = “investment” (installation cost);
- n** = anticipated lifetime (9 years);
- ROI** = “return on investment” (% / year).

Most accurate estimates involve compound interest calculations:

“present value” (PV) and

“future value” (FV) or

“present worth” and “future worth” (equivalent concepts)

FV and PV are related by the compound interest calculation:

$$\mathbf{FV = PV (1+i)^n}$$

where **i** = interest rate (fraction / period);

n = number of periods.

(N.B. compounding period usually = 1 year).

Therefore:

$$\mathbf{PV = \frac{FV}{(1 + i)^n}}$$

EXAMPLE (after FONTANA)

\$1.0k invested for 10 years at 6%

$$\begin{aligned} \text{FV} &= \$ 1,000 (1 + 0.06)^{10} \\ &= \$ 1,790.85. \end{aligned}$$

In other words, the PRESENT VALUE of an investment of \$ 1,790.85 made in 10 years time at an interest rate of 6% is \$ 1,000 IN CONSTANT DOLLARS (no inflation)

For a series of anticipated (i.e., future) cash flows, C, the PRESENT VALUE formula

$$\text{PV} = \frac{\text{FV}}{(1 + i)^n}$$

can be generalized to the NET PRESENT VALUE, NPV

NET PRESENT VALUE, NPV:

$$\text{NPV} = -I + \frac{C_1}{(1+i)^1} + \frac{C_2}{(1+i)^2} + \dots + \frac{C_n}{(1+i)^n}$$

where:

I = initial investment

C₁ = cash flow in year 1

C₂ = “ ” 2

C_n = “ ” n

NOTE: costs (expenses) are negative,
gains (profits) are positive,
C can be +ve OR -ve.

For corrosion costs:

I could be initial installation cost of a material;

C could be future operating, maintenance, replacement costs (-ve)
combined with profits, gains etc. (+ve)

EXAMPLE (after Fontana)

Which is the cheapest Heat Exchanger material over an 8-year period, assuming an interest rate of 10%:

- (1) Carbon Steel (CS), costing \$8,000 and lasting 2 years?
- (2) Anodically-protected (AP) carbon steel costing \$8,000, requiring a \$7,000 potentiostat and lasting > 8 years with costs = \$ 1,100/year? or
- (3) Stainless Steel (SS) costing \$20,000 and lasting 8 years?

	<u>ANNUAL COSTS (\$)</u>		
<u>year</u>	<u>CS</u>	<u>CS (AP)</u>	<u>SS</u>
0	8,000	15,000	20,000
1	-	1,100	-
2	8,000	1,100	-
3	-	1,100	-
4	8,000	1,100	-
5	-	1,100	-
6	8,000	1,100	-
7	-	1,100	-
8		1,100	

Carbon Steel:

$$\text{NPV} = -8000 - \frac{8000}{(1.1)^2} - \frac{8.000}{(1.1)^4} - \frac{8.000}{(1.1)^6}$$

Carbon Steel (Anodically-protected):

$$\begin{aligned} \text{NPV} &= -15000 - \frac{1,100}{(1.1)^1} - \frac{1,100}{(1.1)^2} - \frac{1,100}{(1.1)^3} - \dots - \frac{1,100}{(1.1)^8} \\ &= -\$20,869. \end{aligned}$$

Stainless Steel:

$$\text{NPV} = -20,000.$$

i.e., at 10% interest, SS is least cost

N.B., CS (AP) is cheapest at i between 14.7% and 24.1%;

above an interest rate of 24.1%, CS becomes cheapest.

Let's introduce some positive cash flow. What happens in the example if the reduced heat transfer of the Stainless Steel decreases revenue by 40%?

TABLE OF CASH FLOWS (x = revenue)

<u>year</u>	<u>CS</u>	<u>CS (AP)</u>	<u>SS</u>
0	- 8,000	-15,000	-20,000
1		-1,100	
	+x	+x	+0.6x
2	-8,000	-1,100	
	+x	+x	+0.6x
3		-1,100	
	+x	+x	+0.6x
4	-8,000	-1,100	
	+x	+x	+0.6x
5		-1,100	
	+x	+x	+0.6x
6	-8,000	-1,100	
	+x	+x	+0.6x
7		-1,100	
	+x	+x	+0.6x
8		-1,100	
	+x	+x	

$$\begin{aligned}\text{CS: NPV} &= -8,000 + \frac{x}{(1.1)^1} - \frac{(8,000-x)}{(1.1)^2} + \frac{x}{(1.1)^3} - \frac{(8,000-x)}{(1.1)^4} \dots \frac{x}{(1.1)^8} \\ &= -24,592 + x \left(\frac{1}{(1.1)} + \frac{1}{(1.1)^2} + \dots + \frac{1}{(1.1)^8} \right) \\ &= \underline{-24,592 + 5.34 x}\end{aligned}$$

CS (AP):

$$\text{NPV} = -20,869 + 5.34 x$$

SS:

$$\begin{aligned}\text{NPV} &= -20,000 + 0.6 * 5.34 x \\ &= -20,000 + 3.20 x\end{aligned}$$

For SS to be cheaper than CS (AP)

$$\begin{aligned}-20,000 + 3.20 x &> -20,869 + 5.34 x \\ 2.14 x &< 869 \\ \text{or } x &< \$406/\text{year (TRIVIAL!)}\end{aligned}$$

For SS to be cheaper than CS

$$x < \$2,275/\text{year (VERY SMALL!)}$$